

Chapter 3.2: The Ideal classical Gas in the Canonical Ensemble

Independent particles $\{\vec{r}_1, \vec{p}_1, \vec{r}_2, \vec{p}_2, \vec{r}_3, \vec{p}_3, \dots, \vec{r}_N, \vec{p}_N\}$

$$\varepsilon(\{\vec{r}_j, \vec{p}_j\}) = \sum_j \frac{\vec{p}_j^2}{2m}$$

$$Z = (Z_1)^N$$

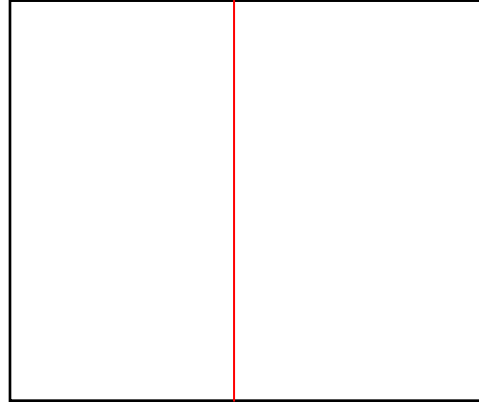
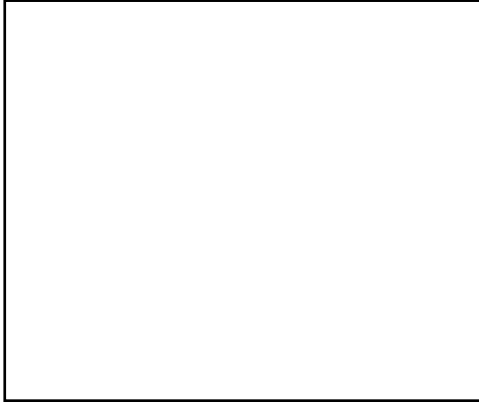
Summary

Summary: Microcanonical vs. Canonical Ensemble

| Microcanonical ensemble | Canonical ensemble |
|-------------------------|--------------------|
| | |

3.2-2 The Ideal Gas in the Canonical Ensemble

Entropy



3.2-3 The Ideal Gas in the Canonical Ensemble

Gibbs paradox and Gibbs factor

For indistinguishable particles avoid overcounting by exchanging indices:

$$\int \prod_j d^3 \vec{r}_j d^3 \vec{p}_j \rightarrow \frac{1}{N!} \int \prod_j d^3 \vec{r}_j d^3 \vec{p}_j$$

3.2-4 The Ideal Gas in the Canonical Ensemble

Entropy of mixing

